



International
Centre for
Radio
Astronomy
Research

Investigations on MultiView VLBI for SKA

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VLBI in the Era of SKA

SKA will have 100-times the collecting area of current telescopes.

⇒ Baselines to SKA will have 10-times the collecting area ($\sqrt{A_{\text{SKA}} A_{\text{tel}}}$)

SKA Mid and Low will be centred at frequencies around 1000 and 300 MHz, respectively

⇒ The new science will come at these frequencies

Science targets will be newly discovered compact objects.

⇒ VLBI will provide dynamical information; the proper-motions, the relationship to other parts of the hosts, the distances

All astrometry – but astrometry at 1GHz and below is very hard



Astrometric VLBI at low Frequencies

Maria Rioja has covered the new methods for low frequency phase referencing. The errors arise from the static ionospheric component:

Improvement come from:

Reducing the ionosphere error, $14.5 \left(\frac{\nu}{8\text{GHz}} \right)^{-1} \frac{\Delta I}{6\text{TECU}} \left[\frac{\Delta\theta \cos(41^\circ) \tan(Z)}{2^\circ \cos(Z) \tan(41^\circ)} \right]$

higher frequency, ensuring high Zenith angle,
or reducing the source-calibrator separation.

With dense GPS measurements we may be able to improve from a residual of 6TECU to 3TECU.

But this is equivalent to a _metre_ of residual path length (20mm/°)

c.f. 30mm of residual tropospheric path length (0.5mm/°)

for 35μ as we require ~1mm/° error on 6000km baseline

⇒ For significant improvements we need closer calibrators.



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Units: differential Δ TEC normalised per degree converted to mm delay per degree

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Population Estimates

In-beam Phase Referencing addresses this directly:

e.g. PSR- π , which has typical separations of 0.2 degrees,
Possible for L-band, as usually find sources with-in VLBA beam;
 $\Rightarrow \sigma_{\text{epoch}} \sim 100 \mu\text{as}$

PSR- π , 60 out of 70 sources had in-beams – high success rate
arvix-1808.09046

Rare for other frequencies as primary beam are smaller ...

Nevertheless for significant improvements we need even closer
calibrators

SKA-VLBI will be an order of magnitude more sensitive: $\sim 10 - 1 \mu\text{as}$
 σ_{thermal}

so we are looking for a calibrator order of magnitude closer,
searching an area two orders of magnitude smaller: $N \propto S^{-0.9} \sim 8$

$$\sigma_{\text{global } j} \sim 30 - 80 \mu\text{Jy} : N \sim 10^2 / \text{'} = 1 \text{ per } 6'$$

Godfrey SKA Memo 135



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Well short of required 1 per 1'

Godfrey SKA Memo 135



Multi-View Review

Maria Rioja has covered this, yesterday .. so I will summarise:

- Use Multiple Simultaneous Beams around the target.
- Fit a planar surface for each antenna.
- Solve for Ionospheric screen, at the line of sight of the target.

$$\Rightarrow \Delta\theta = 0$$

All error terms will be zero (static/dynamic, tropo-/ionosphere)

Perfect phase-referencing

Demonstrated in Rioja '16 (visibility-based) & Reid '17 (image-based)

Used in Immer et al. 2018, Sakai et al. in-prep (virtual quasar)

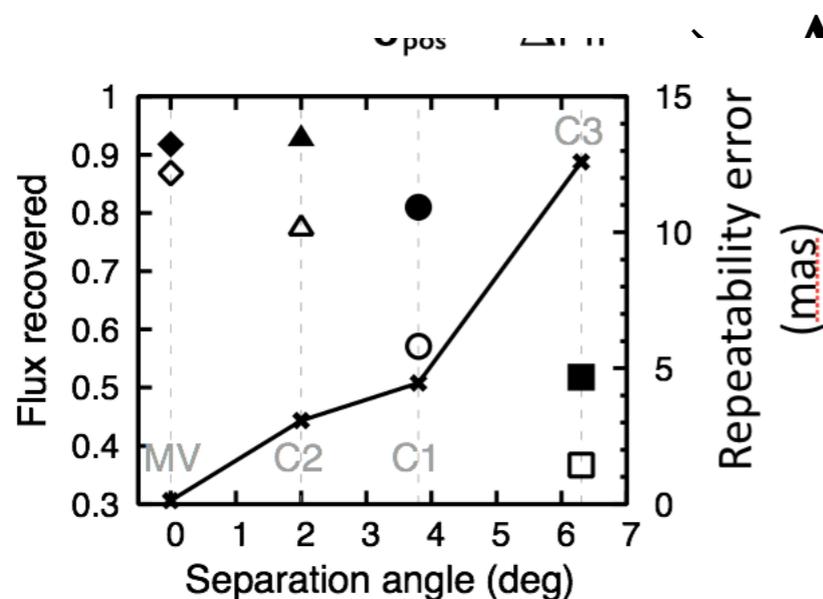
solves for Static Ionospheric Wedge over array

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Rioja et al, '16



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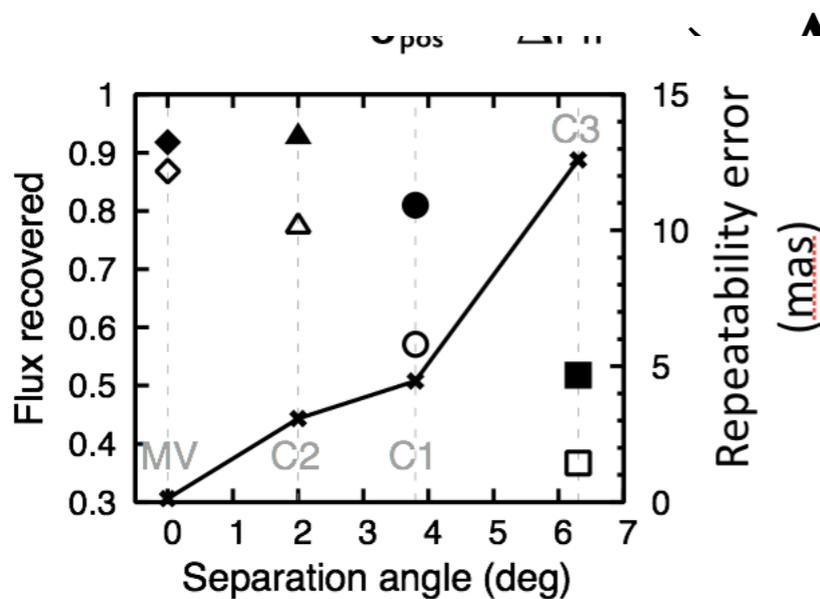


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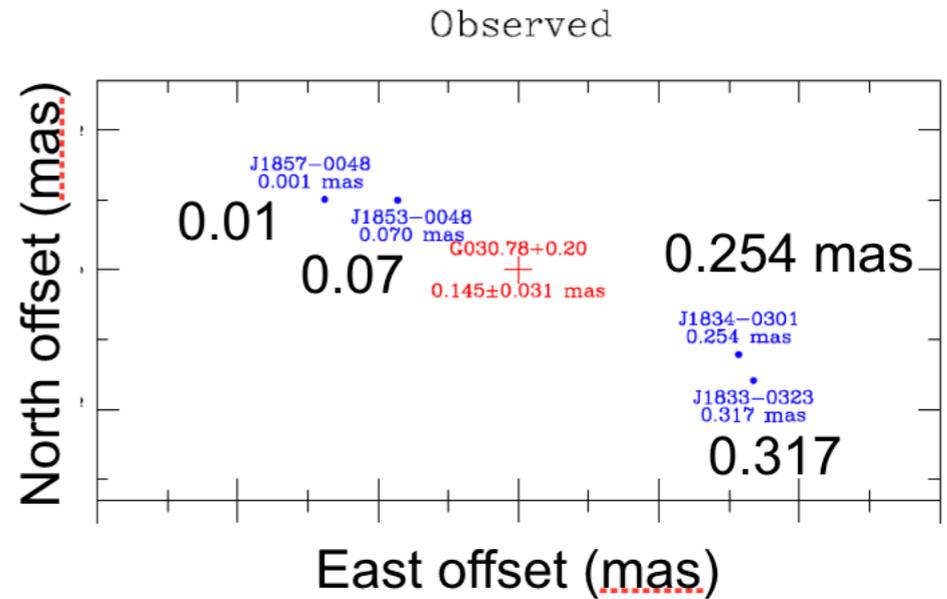
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$\Delta \vartheta = 0$
 zero (static/dynamic) ionospheric screening



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solves for Static Ionospheric Wedge over array

Reid et al '17 Immer, sub. '18; Sakai in-prep



How many Beams needed?

These are the crucial design question for SKA-VLBI:

- How many beams are needed?
 - Is it a function of frequency?
- Can we assume that the phase surface is flat?
- Would more beams allow fitting a curved surface?
- Would more beams allow contemporaneous checks on calibrators?
- Would more beams allow new science goals?



MWA - RTS System

Dan Mitchell (Mitch) designed the Real Time System for EOR studies with Murchison Widefield Array (MWA). Chris Jordan used this to characterise MWA Phase-1 (3km baselines) ionospheric behaviour: Jordan et al. 2017, MNRAS

Image-shift measurement for all visible sources, every 8-sec $\Rightarrow \Delta\text{TEC}(t, \Delta\vec{l})$

Has been used to classify types of weather:

weak (1), moderately correlated (2),

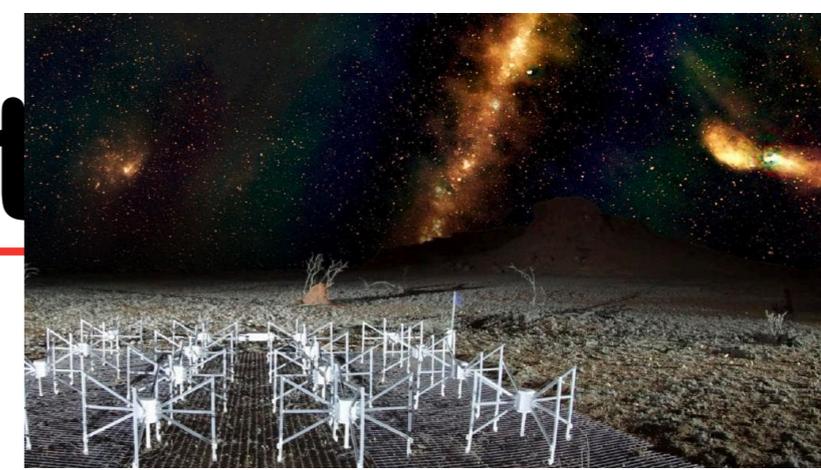
highly correlated but weak (3), highly correlated and strong (4)

We used these measurements to derive the change in gradient w. angle

source shifts $\propto \Delta\text{TEC}/^\circ$



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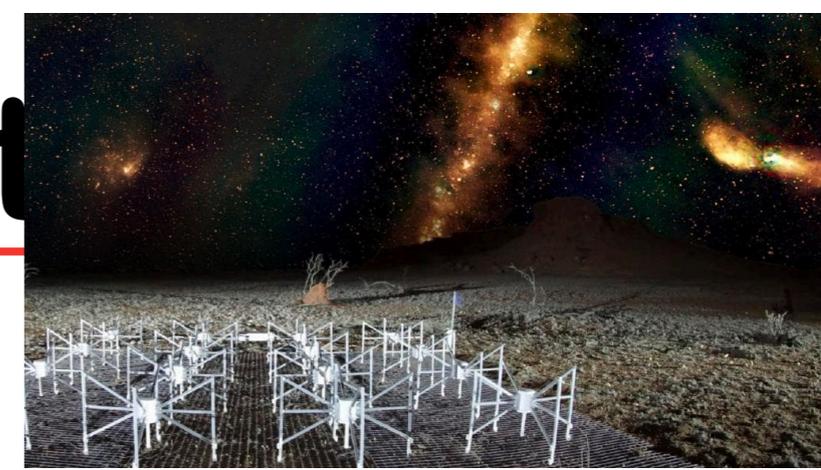
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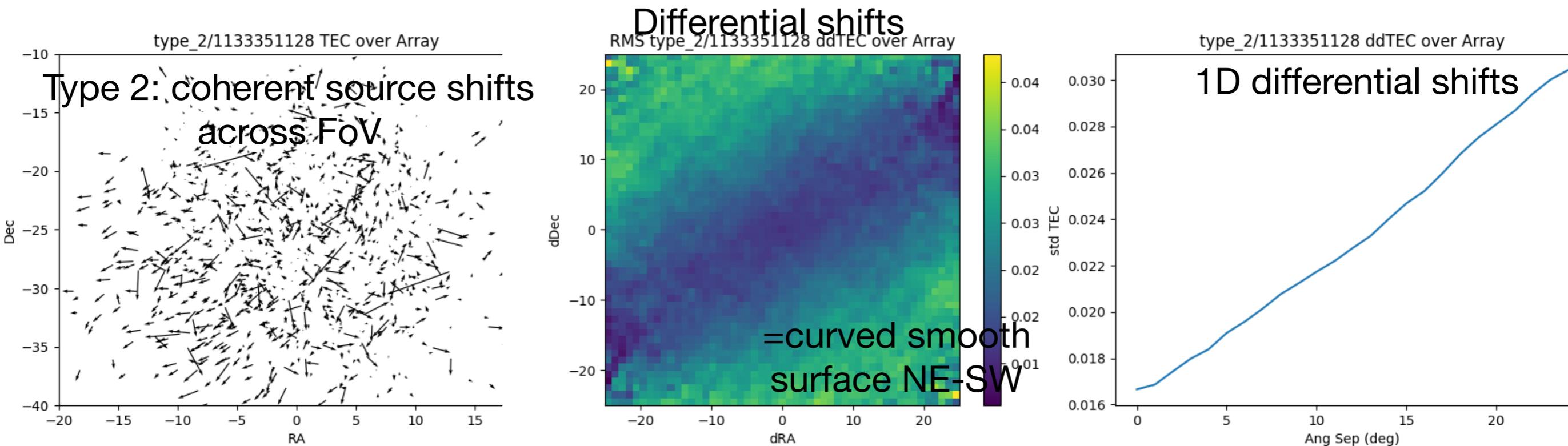


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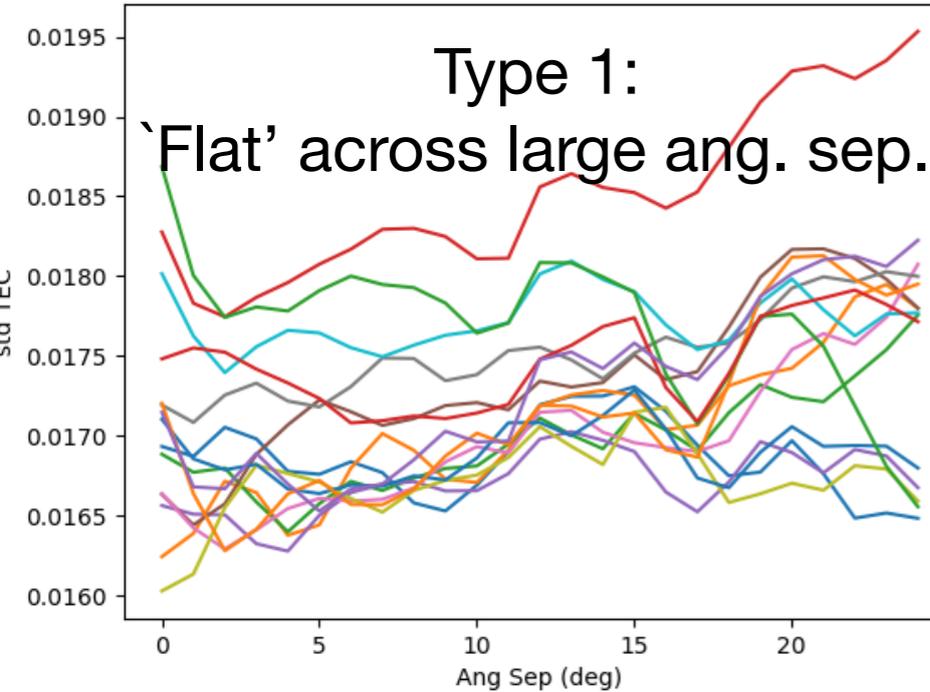


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source shifts $\propto \Delta\text{TEC}/\theta$

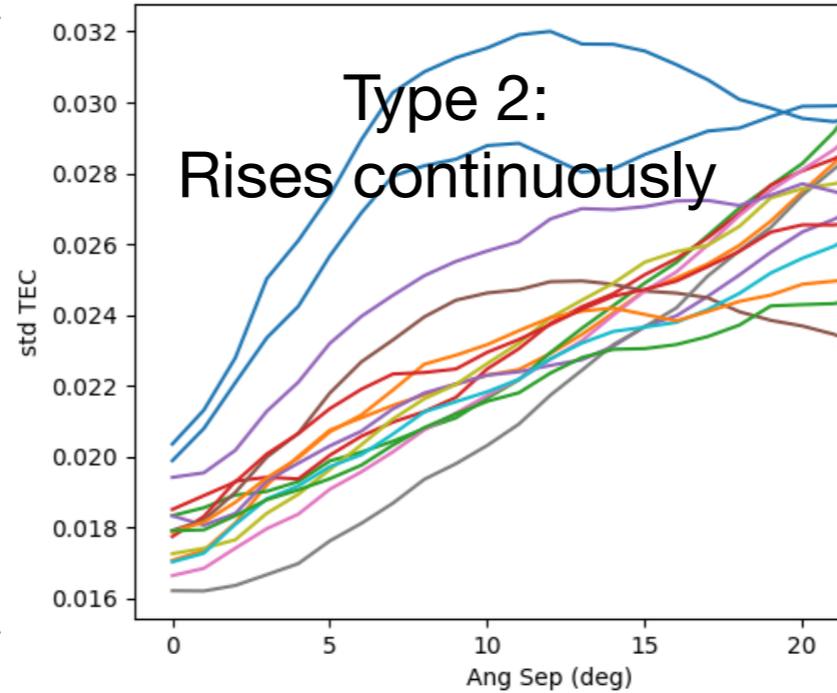


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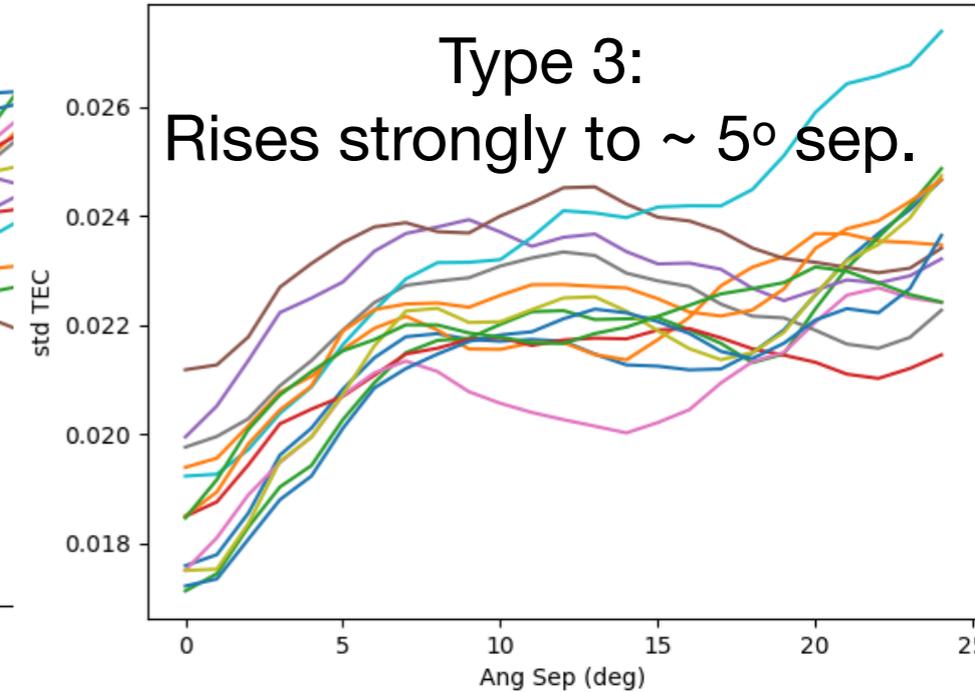
Type 1 ddTEC over Array



Type 2 ddTEC over Array

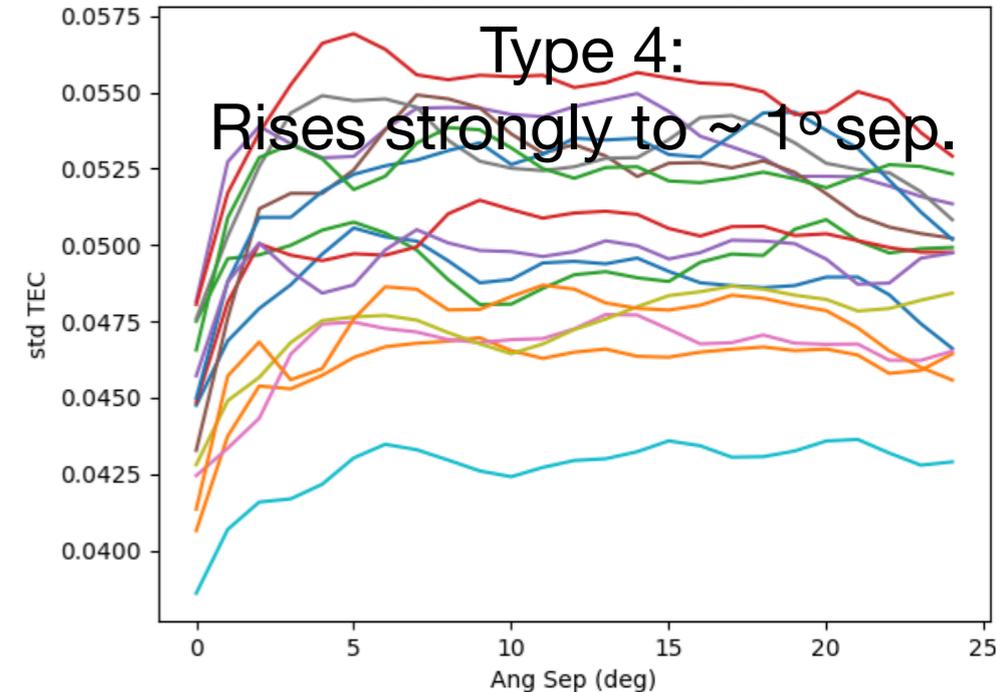


Type 3 ddTEC over Array



In most cases ($0.02 \text{ dTEC}/^\circ$) residual path at 1.5GHz is $\sim 4 \text{ mm}$ for calibrators at 1° ($0.02 * 1 * 400 * 1.5^{-2}$)
 $\Rightarrow 100 \mu \text{ as}$
whereas, for BeSSeL-South (@6.7GHz) MV Calibrators with 3° sep. would be acceptable in all weathers ($0.05 * 3 * 400 * 6.7^{-2}$)

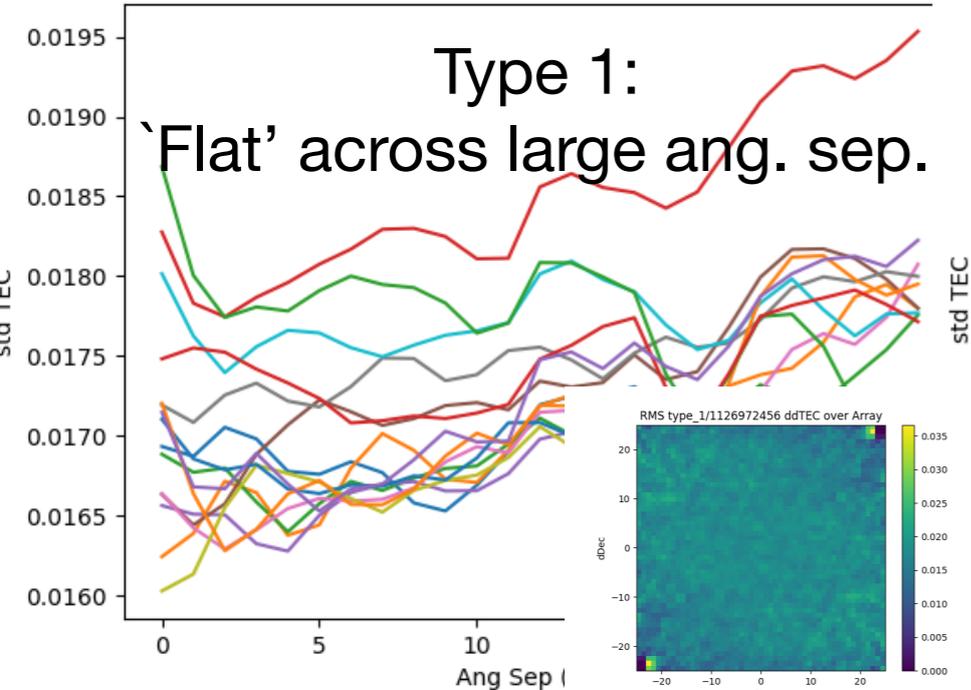
Type 4 ddTEC over Array



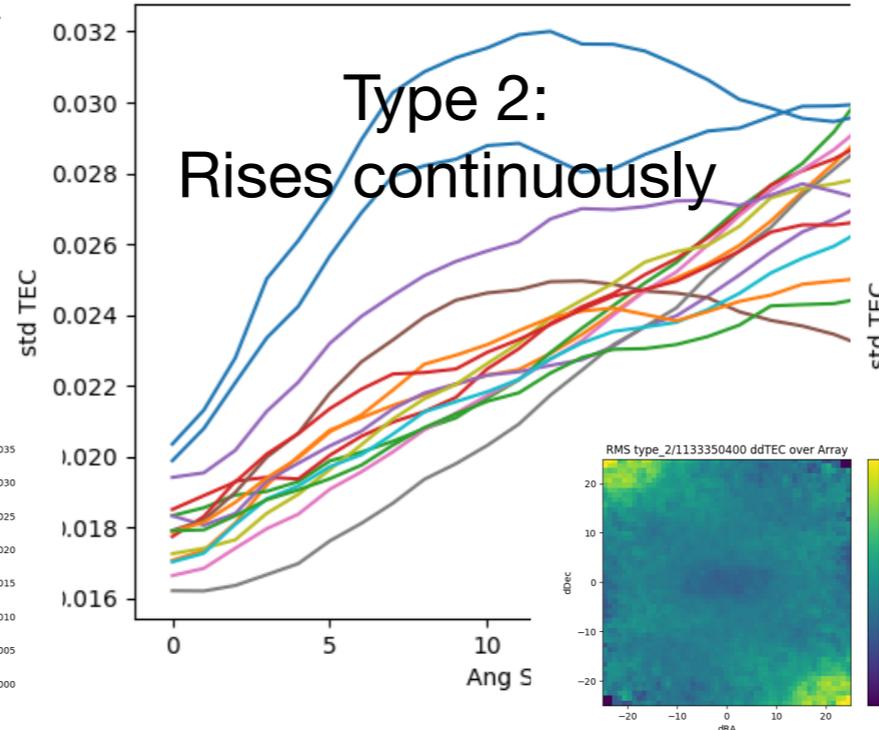


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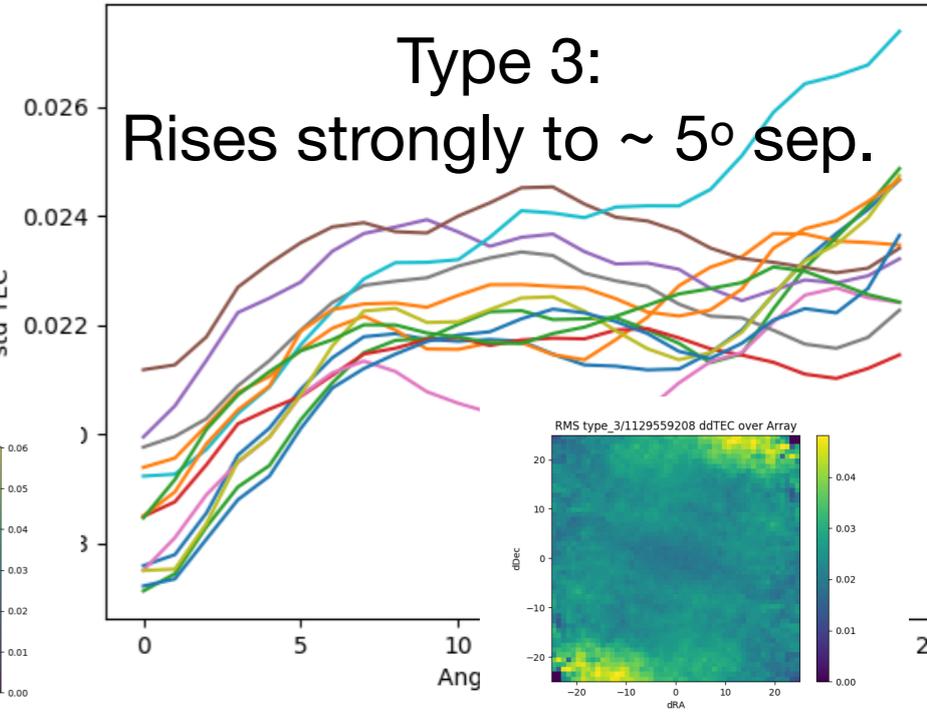
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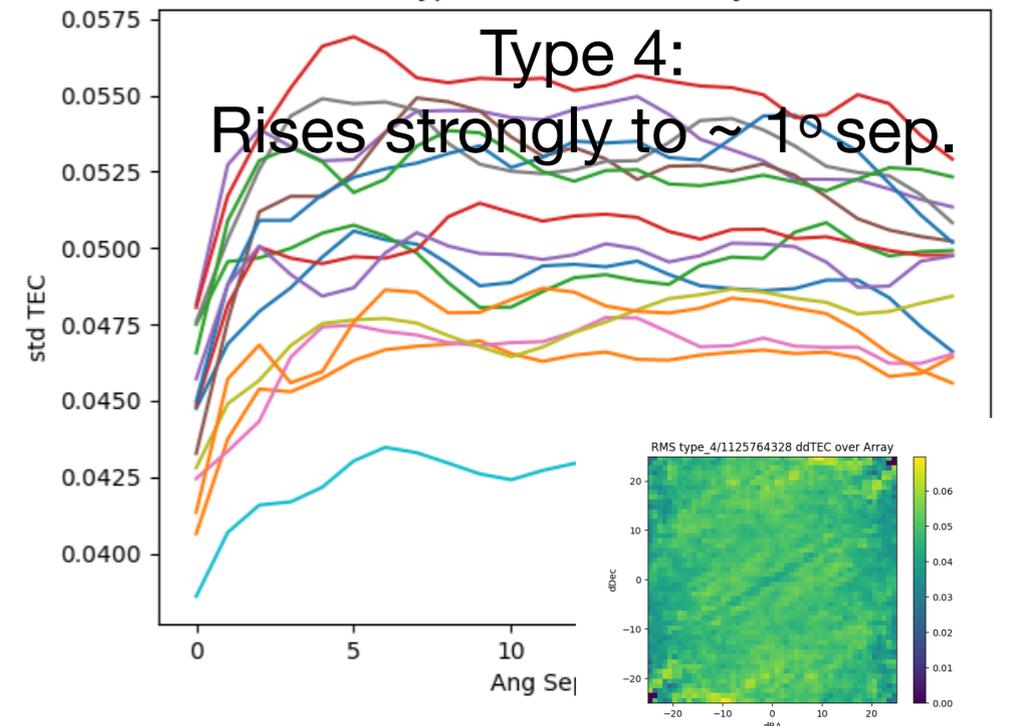


Type 3 ddTEC over Array



In most cases (0.02dTEC/°) residual path at 1.5GHz is ~4mm for calibrators at 1° ($0.02 \cdot 1 \cdot 400 \cdot 1.5^{-2}$)
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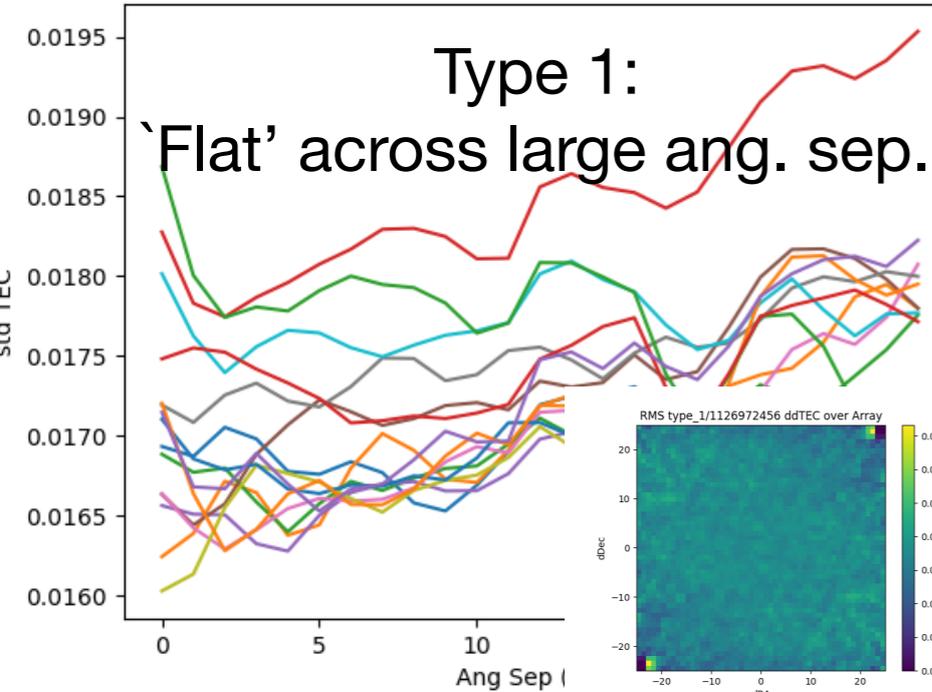
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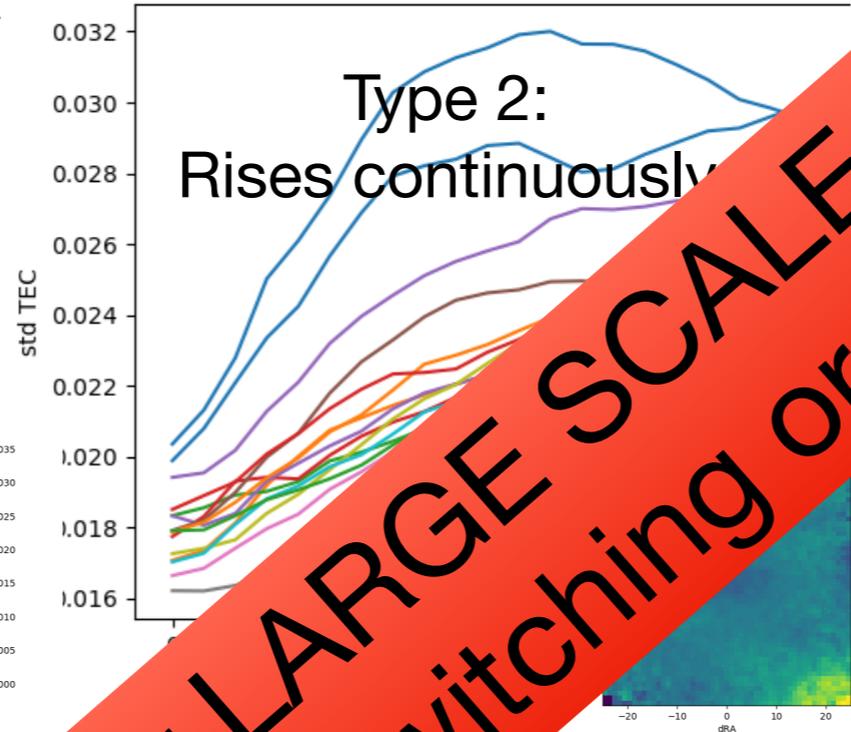


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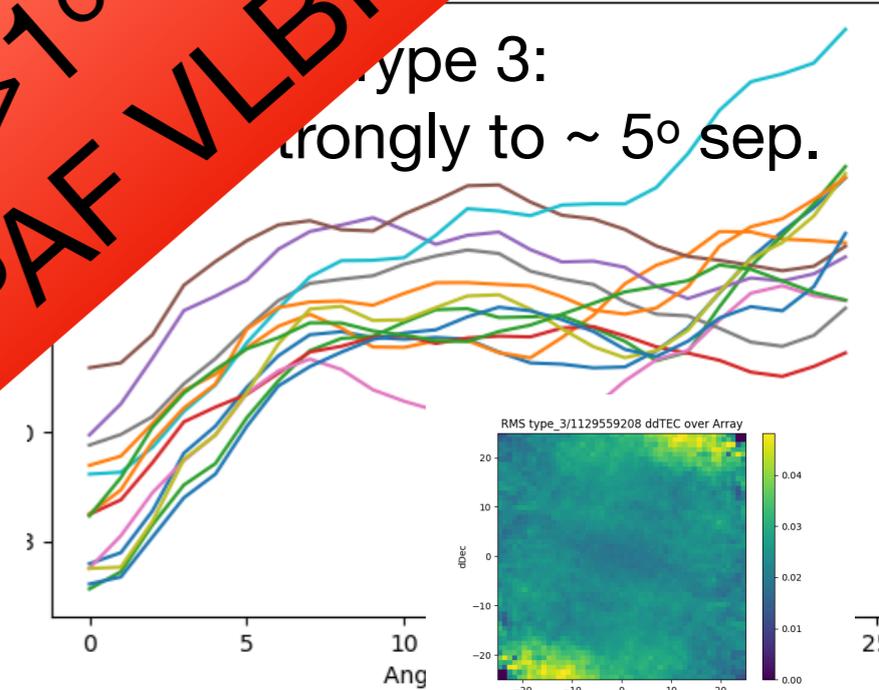
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In most cases (0.02dTEC residual path at 1.5 GHz)
 $\sim 4\text{mm for calibration } (2 \times 1 \times 400 \times 1.5^{-2})$

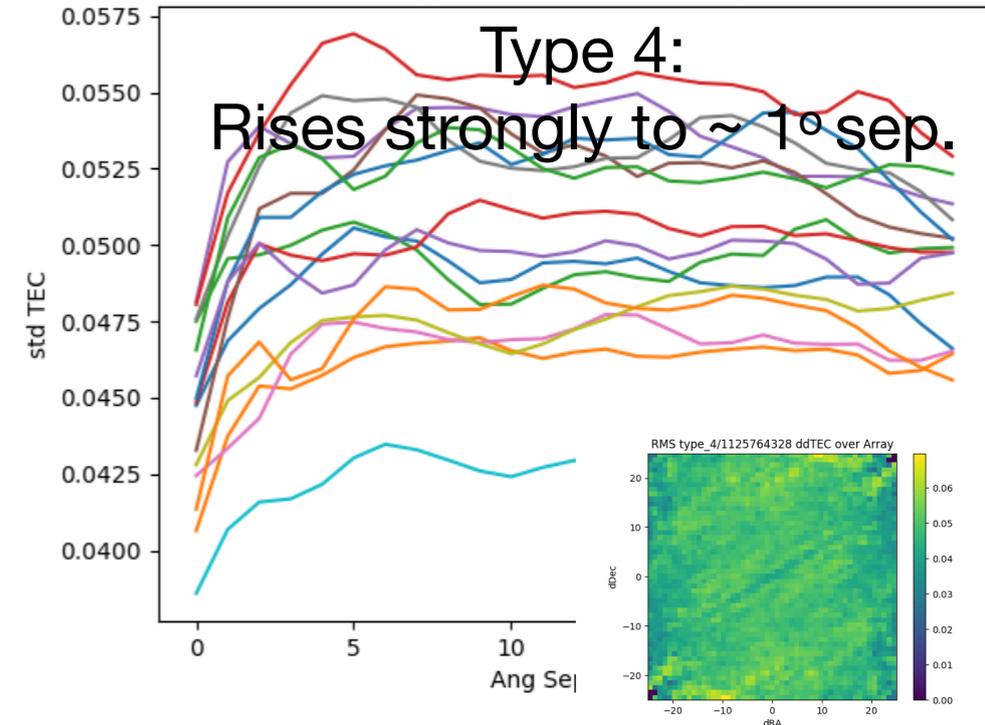
$\Rightarrow 100\%$

where $\Delta \text{TEC} = \text{South } (@6.7\text{GHz})$

MV with 3° sep. would be

all weathers $(0.05 \times 3 \times 400 \times 6.7^{-2})$

Type 4 ddTEC over Array



RTS Results are for LARGE SCALE > 1° structure
Applicable for switching or PAF VLBI

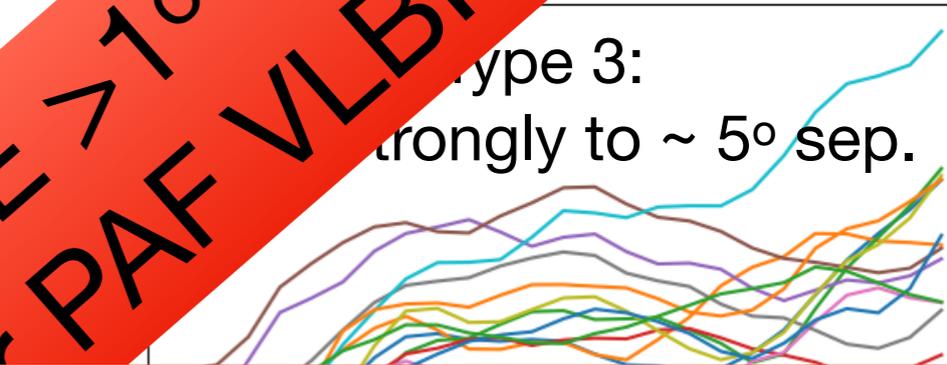
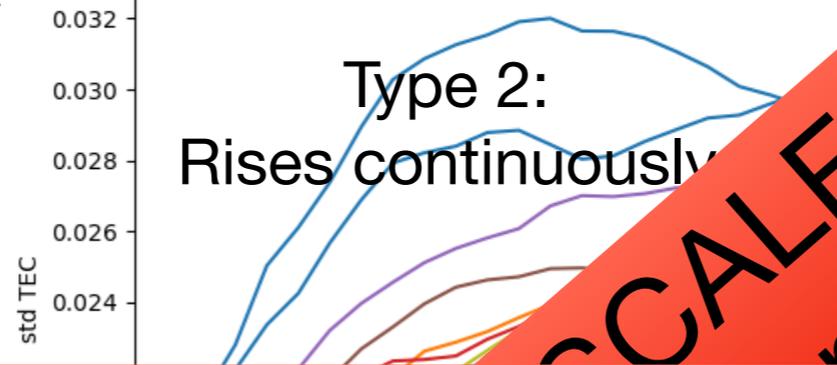
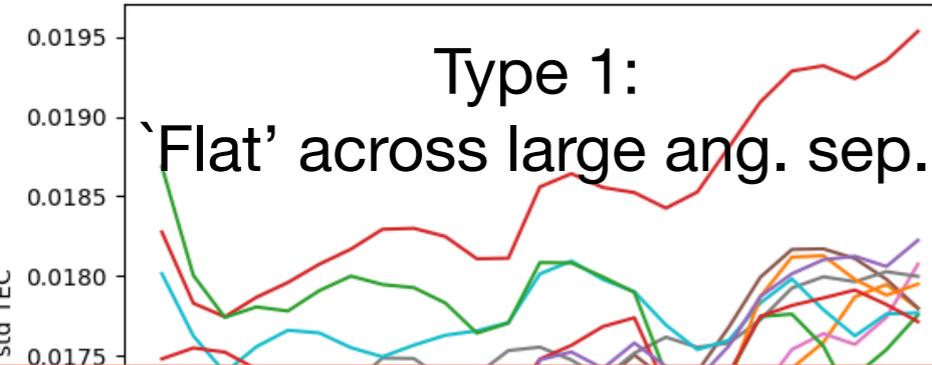


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SCALE > 1° structure
PAF VLBI

MultiView

Will match in-beam at L-band with ~1° calcs

Will exceed in-beam above L-band

residual path at 1.5°

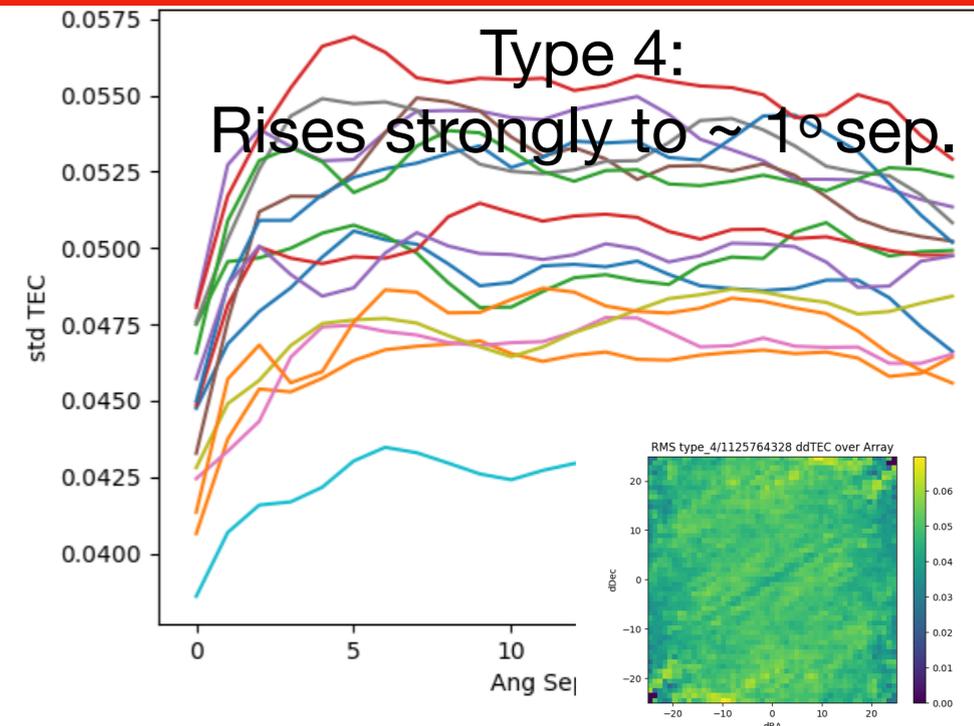
~4mm for calibration ($2 * 1 * 400 * 1.5^{-2}$)

⇒ 100%

whereas ... South (@6.7GHz)

MV ... with 3° sep. would be

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RTS Results are applicable for



LEAP: Actual Phase Screens

MWA had no direction dependent calibration scheme;

The initial assumption was that the DI would be sufficient.

This was not ... so image-based, rubber-sheet, corrections were implemented. Similar to the field-based calibration (Cotton et al '99)

But these apply an array-wide linear shift per (snapshot) image.

LEAP (Low-frequency Excision of Atmosphere in Parallel) (Rioja et al '17) provides a station-based direction dependent visibility correction.

From this extracted a fine-scale (10-3000m) phase measurement across the array; probing the ionosphere to discover flatness of phase screens

LEAP Results are for SMALL SCALE $<1^\circ$ structure tied-array beam (WRST & SKA) to SD antenna

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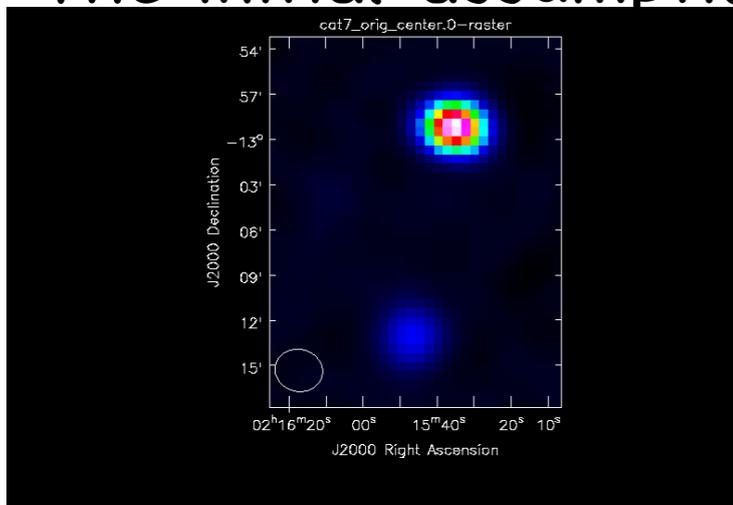
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MWA-1 DD effect

typical case



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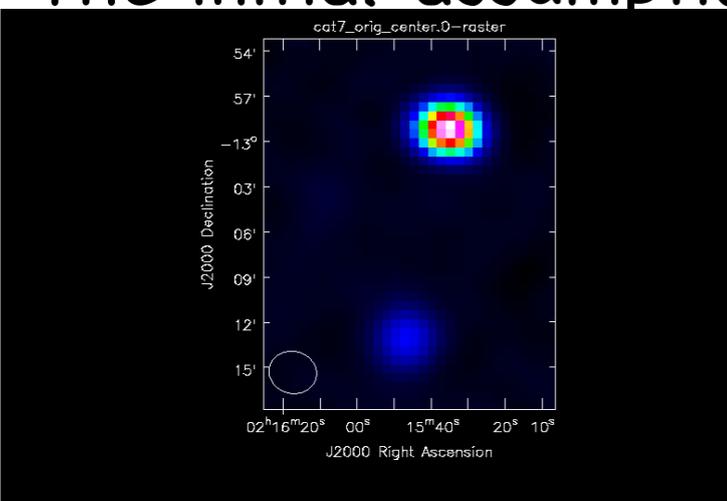
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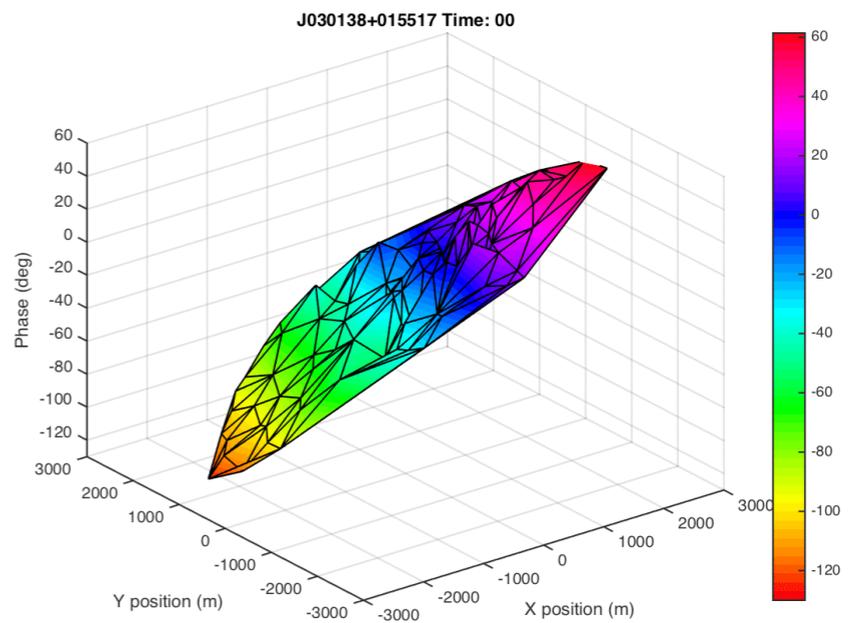
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image-based, rubber-sheet, c
to the field-based calibr
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MWA-2 phase surface
worst case



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LEAP: Actual Phase Screens

MWA Phase-2 (6km baselines) shows much more 'interesting' behaviour
Could be the longer baselines, but also different point in solar-cycle.

Phase slopes across array $\sim \pm 60^\circ$ – at 150MHz

Matching RTS image shifts.

Residual Phase Noise after linear fit (non-thermal) $\sim 4^\circ$ – at 150MHz

< 1milli-TECU, or 0.1mm

Would allow calibrators to be anywhere across FoV (30–60')

Would allow >1:1000 astrometry at 1.5GHz ($< 10\mu$ as)

10% of phase screens show significant curvature

($> 10\%$ change w higher order)

– but linear approx often acceptable

Many showed fast (~ 10 sec) changes in phase surface



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Many showed fast (~ 10 sec) changes in phase surface
require stronger & in-beam calcs.



How many Beams needed?

- Can we assume that the phase surface is flat?
For angular sep $< 0.5^\circ$ $> 1^\circ$
of an acceptable level for 4μ as/epoch 100μ as/ep.
- Would more beams allow fitting a curved surface & contemporaneous checks?
Of course. Latter being more important.
- How many beams are needed?
Minimum is 4 – target plus linear surface
Greatest risk is poor stability in weak calibrators
Multiple (6 or more) calibrators allows curved surfaces and internal consistency checks, averaging down of errors
- Would more beams allow new science goals?
100's of continuum sources should be detectable
Core-SKA to largest single dish would be covered with ~ 100



How many Beams needed?

- Can we assume that the phase surface is flat at L-band. High freq. better
For angular sep $< 0.5^\circ$ Perfect for BeSSeL
of an acceptable level for 4μ as/epoch 40μ as/ep.
- Would more beams allow fitting a curved surface & contemporaneous checks?
Of course. Latter being more important.
- How many beams are needed?
Minimum is 4 - target plus linear surface
Greatest risk is poor stability in weak calibrators
Multiple (6 or more) calibrators allows curved surfaces and internal consistency checks, averaging down of errors
- Would more beams allow new science goals?
100's of continuum sources should be detectable
Core-SKA to largest single dish would be covered with ~ 100



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Conclusions

- Astrometric requirements key driver for SKA-VLBI
- MWA measurements of SKA site phase screens
show: range of ionospheric behaviours and classes
suggest: acceptably linear over SKA-core
implies: excellent performance of in-beam MultiView
- Suggested number of beams:
6 (minimum), 10 (lower goal) & 100 (maximum goal)

Lower will lower systematic contributions to parallax to μ as level

Upper will allow deep phase referenced observations of every source in beam



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